## things

- PS 4's grading is still ongoing (I spent a lot of time making new graphs); I am sorry
- PS 5's answer key is still in the works
- PS 6 this evening $\rightarrow$ Monday
- drill tomorrow
- next Monday we'll meet for a review
- we won't meet next Wednesday
- Exam 1 will be available on March 6, due March 11

1


2
contrast codes for a $2 \times 3$ design (previously introduced)

|  | intact <br> 300 | intact <br> 450 | intact <br> 600 | scr <br> 300 | scr <br> 450 | scr <br> 600 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| T | $+1 / 2$ | $+1 / 2$ | $+1 / 2$ | $-1 / 2$ | $-1 / 2$ | $-1 / 2$ |
| R1 | $+1 / 3$ | $+1 / 3$ | $-2 / 3$ | $+1 / 3$ | $+1 / 3$ | $-2 / 3$ |
| R2 | $+1 / 2$ | $-1 / 2$ | 0 | $+1 / 2$ | $-1 / 2$ | 0 |
| T*R1 | $+1 / 6$ | $+1 / 6$ | $-2 / 6$ | $-1 / 6$ | $-1 / 6$ | $+2 / 6$ |
| T*R2 | $+1 / 4$ | $-1 / 4$ | 0 | $-1 / 4$ | $+1 / 4$ | 0 |

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different summaries, same design

|  | Estimate | SE | $\mathrm{t} \operatorname{Pr}(>\|\mathrm{t}\|)$ |  |  |
| :--- | ---: | ---: | ---: | ---: | ---: |
| (Intercept) | 53 | 0.99 | 53.62 | $<2 \mathrm{e}-16$ |  |
| T | 6 | 1.98 | 3.03 | 0.00412 |  |
| R1 | 12 | 2.10 | 5.72 | $9.95 \mathrm{e}-07$ |  |
| R2 | 4 | 2.42 | 1.65 | 0.10600 |  |
| TR1 |  | 12 | 4.19 | 2.86 | 0.00655 |
| TR2 | 0 | 4.84 | 0.00 | 1.00000 |  |
|  |  |  |  |  |  |
|  | Df Sum Sq Mean Sq F value | $\operatorname{Pr}(>F)$ |  |  |  |
| text | 1 | 432 | 432.0 | 9.210 | 0.00412 |
| wpm | 2 | 1664 | 832.0 | 17.738 | $2.6 \mathrm{e}-06$ |
| text:wpm | 2 | 384 | 192.0 | 4.093 | 0.02376 |
| Residuals | 42 | 1970 | 46.9 |  |  |

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## what is Model $A /$ Model C?

for variable R1 (300, 450 vs 600)

- Model A

$$
Y=\beta_{0}+\beta_{1} T+\beta_{2} R 1+\beta_{3} R 2+\beta_{4} T R 1+\beta_{5} T R 2
$$

$\qquad$

- Model C

$$
\begin{gathered}
Y=\beta_{0}+\beta_{1} T+0 R 1+\beta_{3} R 2+\beta_{4} T R 1+\beta_{5} T R 2 \\
Y=\beta_{0}+\beta_{1} T \quad \beta_{3} R 2+\beta_{4} T R 1+\beta_{5} T R 2 \\
H_{0}: \beta_{2}=0
\end{gathered}
$$

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what is Model $A /$ Model C?
for variable TR1

- Model A
$Y=\beta_{0}+\beta_{1} T+\beta_{2} R 1+\beta_{3} R 2+\beta_{4} T R 1+\beta_{5} T R 2$ $\qquad$
- Model C
$Y=\beta_{0}+\beta_{1} T+\beta_{2} R 1+\beta_{3} R 2+0 T R 1+\beta_{5} T R 2$
$Y=\beta_{0}+\beta_{1} T+\beta_{2} R 1+\beta_{3} R 2+\quad \beta_{5} T R 2$


## other versions of Model C

- Model A
$Y=\beta_{0}+\beta_{1} T+\beta_{2} R 1+\beta_{3} R 2+\beta_{4} T R 1+\beta_{5} T R 2$
- Model C for the typical ANOVA main effect of text
$Y=\beta_{0} \quad+\beta_{2} R 1+\beta_{3} R 2+\beta_{4} T R 1+\beta_{5} T R 2$
- PRE gives $R^{2}$ for text (often reported as $\eta_{p}^{2}$ ) 7


## other versions of Model C

- Model A

$$
Y=\beta_{0}+\beta_{1} T+\beta_{2} R 1+\beta_{3} R 2+\beta_{4} T R 1+\beta_{5} T R 2
$$

- Model C for the typical ANOVA main effect of rate/wpm
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$$
Y=\beta_{0}+\beta_{1} T+\quad \beta_{4} T R 1+\beta_{5} T R 2
$$

- PRE gives $R^{2}$ for rate (often reported as $\eta_{p}^{2}$ )

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## other versions of Model C

- Model A
$Y=\beta_{0}+\beta_{1} T+\beta_{2} R 1+\beta_{3} R 2+\beta_{4} T R 1+\beta_{5} T R 2$
- Model C for the typical ANOVA interaction effect $\qquad$ $Y=\beta_{0}+\beta_{1} T+\beta_{2} R 1+\beta_{3} R 2+$
- PRE gives $R^{2}$ for the interaction (often reported as $\eta_{p}^{2}$ )
other versions of Model C
- Model A
$Y=\beta_{0}+\beta_{1} T+\beta_{2} R 1+\beta_{3} R 2+\beta_{4} T R 1+\beta_{5} T R 2$
- Model C for the whole model
$Y=\beta_{0}$
- PRE gives $R^{2}$ for the whole model

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11
using single-df orthogonal contrasts


## 3+ factors

13
a design (based on real research)

- to understand factors related to eating behavior
- DV: amount of ice cream eaten
- Factor A: good vs bad ice cream
- Factor B: empty vs full stomach
- Factor C: average vs overweight participants

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results ( $g$ of ice cream eaten)

| over average | bad |  | good |  |
| :---: | :---: | :---: | :---: | :---: |
|  | empty | full | empty | full |
|  | 70 | 60 | 240 | 220 |
|  | 50 | 10 | 150 | 90 |



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## in a three-factor design

- main effects are interpretable as usual
- two-factor interactions can be decomposed (probed, explained, etc.) with simple-effects tests
- three-factor interactions can be decomposed via simple-effect and/or simple-interaction tests
- but be aware that most people can't think very clearly about interactions among three factors (and more than that ... ©)
- all of the problems (i.e., the need for post-tests) that arise with >1 df effects apply here, but are potentially more complicated

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## general advice

- the overall ANOVA will usually leave you needing follow-up tests in many cases
- let your substantive questions dictate the analyses you execute
- be aware of the costs and benefits of using orthogonal contrast codes vs other possibilities (e.g., dummy codes)
- use cell means to help you interpret what your slopes are about
- alternatively, you can interpret slopes as we did with continuous predictors; this may be easier with dummy codes than with orthogonal contrasts

