These are due on Monday, January 29 by 2 pm via Blackboard, preferably as a single R file. Ask for help before frustration sets in. \#9 is unrelated to \#1 through \#8.

Imagine you are interested in examining the relationship between drinking and dart-playing ability. To test this, you recruit 100 drinkers at a bar in town while they play a game of Cricket (a link to explain the game). For each drinker, their BAC is recorded (in \%; in Arkansas, $0.08 \%$ is the legal limit for driving) and their Cricket scores is as well (lower scores indicate better performance). The data are in darts.csv. The variables are BAC and Darts, along with an ID variable.

1) Create a scatterplot with BAC on the $x$-axis and Darts on the $y$-axis, with a LOESS curve fit to it (ask for help if needed!). Does there appear to be a non-monotonic relationship between BAC and Cricket performance? Answer yes or no and then try to describe the relationship in the plainest language you can.
2) Center the BAC predictor and fit a linear model with Darts as the outcome. Interpret both the intercept and the slope parameter estimates. Significance is not important here.
3) What is SSE for the linear model? (Please do this the easy way by using something like mode1Summary().)
4) Now add a quadratic term to the model and fit it. (You can do this either by squaring the centered BAC variable and using it as an additional predictor or by using the I() function in R.) Interpret the intercept and the slopes of both the centered BAC predictor and its squared version. Again, significance is not important.
5) What is SSE for the quadratic model? (Again, please do this the easy way.)
6) Calculate PRE using the SSE values for the linear and quadratic models in \#3 and \#5 and convert it to $F$. Compare this $F$ value to the $t$ value (or $F$, depending on how you did things) for the quadratic term in the model in \#4. Are they the same?
7) Generate a graph that illustrates both the linear and quadratic fit. (The script from class on January 24 has a template for how to do this, on lines 49-53.)
8) Briefly interpret the results of the models in \#3 and \#4 in the plainest language you can.
9) Participants complete a measure of stress and complete a difficult task, with performance being measured on a scale from 1 (poor) to 7 (good). A researcher estimates the quadratic regression equation below, predicting participants' performance from mean-centered stress levels. The mean stress level was 4.

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\text { perf } \widehat{\text { prmance }}=5-0.4 \times \text { stress. } c-0.2 \times \text { stress. } c^{2}
$$

a. What does each parameter estimate tell you (precisely)?
b. What is the predicted performance of someone whose stress level is 3?
c. What is the simple/point slope of the stress-performance relationship for someone whose stress level is 5 ?

